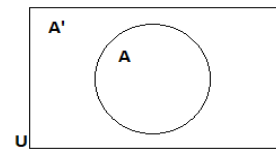


Venn diagram:

U: universal set.

A: subset of U. $A \subseteq U$

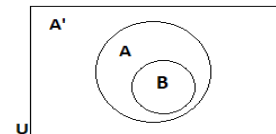
A': subset of U not including A. $A' = U - A$



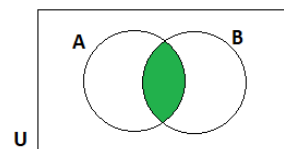
B subset of A, $B \subseteq A$:

all elements of B are in A, therefore:

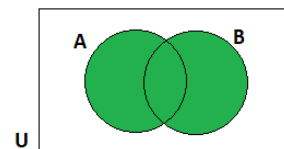
$$A \cup B = A$$



Intersection or overlap, $A \cap B$, (A AND B)

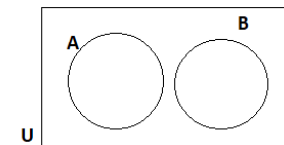


Union, or sum: $A \cup B$, (A OR B)



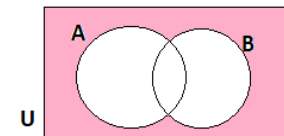
Mutually exclusive; no common element;

$$A \cap B = 0$$



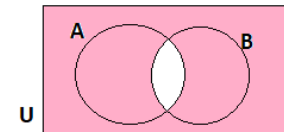
De Morgan's laws:

$$(A \cup B)' = A' \cap B'$$



De Morgan's laws:

$$(A \cap B)' = A' \cup B'$$



Rule: $A \cup B = A + B - A \cap B$, therefore: $A \cap B = A + B - A \cup B$

Continue in Page 2

Probability:

Theoretical Probability is the ratio: $P(A) = \frac{N(A)}{N(U)} = \frac{\text{Number of favorite outcomes}}{\text{Number of all possible outcomes}}$

Complement (Probability of “not A” happening): $P(A') = 1 - P(A)$

Compound events probability: $P(A \text{ and } B) = P(A) \times P(B)$

$$P(A \text{ or } B) = P(A) + P(B)$$

Important note: In logic “And” means multiply probabilities, “OR” means add probabilities.

Combined Probability:

Union: $P(A \cup B)$

Intersection: $P(A \cap B)$

Rule: $P(A \cup B) = P(A \text{ or } B) = P(A) + P(B) - P(A \cap B)$

Mutually exclusive events: $P(A \cap B) = 0$ Then: $P(A \cup B) = P(A) + P(B)$

Expected value or Expectancy: probability of an event out of n trials: $E(x) = \mu = n \cdot P(x)$

Conditional probability: $P(A | B) = \frac{P(A \cap B)}{P(B)}$

Independent probability: $P(A \cap B) = P(A \text{ and } B) = P(A) \times P(B)$

Bayes' Law: $P(B | A) = \frac{P(B) \cdot P(A | B)}{P(B) \cdot P(A | B) + P(B') \cdot P(A | B')}$